

New Physics Signatures in Kaon Decays

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A very brief history of K physics

Kaon physics – a long and successful story...

- charm quark prediction from $K_L \rightarrow \mu^+ \mu^-$

GLASHOW, ILIOPOULOS, MAIANI (1970)

- third generation from CP violation in $K - \bar{K}$ mixing

KOBAYASHI, MASKAWA (1973)

...and the show will go on: What discovery is next?

K versus $B_{d,s}$ and D physics

Grand picture in the Standard Model (SM)

- flavor and CP violation governed by CKM matrix

$$V_{\text{CKM}} \propto \begin{pmatrix} 1 & \lambda & \lambda^3 \\ -\lambda & 1 & \lambda^2 \\ \lambda^3 & -\lambda^2 & 1 \end{pmatrix}$$

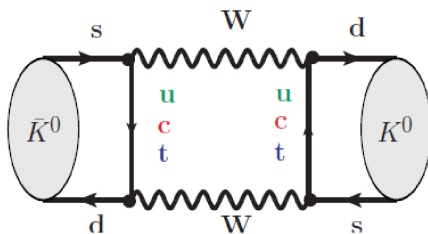
- hierarchical structure predicts specific pattern of effects

$$\underbrace{V_{ts}^* V_{td}}_{K \text{ system}} \sim 5 \cdot 10^{-4} \ll \underbrace{V_{tb}^* V_{td}}_{B_d \text{ system}} \sim 10^{-2} < \underbrace{V_{tb}^* V_{ts}}_{B_s \text{ system}} \sim 4 \cdot 10^{-2}$$

- D system long-distance (LD) dominated and hence hard to predict

➤ in general K decays exhibit highest new physics sensitivity

$K - \bar{K}$ mixing in the SM

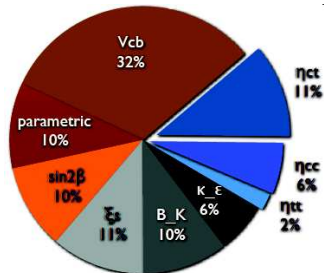


- governed by one **single operator** $(\bar{s}d)_{V-A}(\bar{s}d)_{V-A}$
- CP-conserving quantities (e. g. ΔM_K) affected by long distance contributions
- **CP-violation** (ε_K) governed by short-distance physics
 - **theoretically much cleaner**

ε_K in the SM – status

$$\varepsilon_K = \frac{\langle (\pi\pi)_{I=0} | K_L \rangle}{\langle (\pi\pi)_{I=0} | K_S \rangle} = \kappa_\varepsilon e^{i\phi_\varepsilon} \frac{\text{Im}M_{12}^K}{\Delta M_K}$$

- tremendous progress in lattice calculations
- theory error now dominated by parametric uncertainties, in particular $|V_{cb}|$



SM prediction: BROD, GORBAHN (2011)

$$|\varepsilon_K| = 1.81(28) \cdot 10^{-3}$$

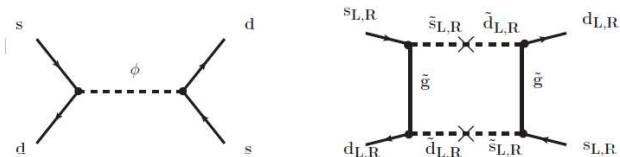
data: PDG (2010)

$$|\varepsilon_K| = 2.228(11) \cdot 10^{-3}$$

➤ a hint for new physics?

ε_K in the presence of new physics

- small NP contribution welcome – but many models yield **huge effects** (e. g. SUSY, RS, TC, LHT, LR, ...)



- chiral enhancement of non-SM operators and absence of NP flavor protection leads to **strong generic constraint** UTFIT (2007)

$$\Lambda_{\text{NP}} \gtrsim 10^5 \text{ TeV} \sim 10^5 \times \text{scales probed by LHC!}$$

➤ **TeV-scale NP must have a very non-generic flavor structure**

Why rare kaon decays?

Rare kaon decays are...

- 1 theoretically **very clean**
- 2 highly suppressed in the SM
- 3 very **sensitive to new physics**
- 4 governed by different NP structures than $K - \bar{K}$ mixing
- 5 able to **distinguish between various NP scenarios**
- 6 experimentally challenging but very **worth the effort**

... unique tests of physics beyond the SM!

$K \rightarrow \pi \nu \bar{\nu}$ – a unique opportunity

$K_L \rightarrow \pi^0 \nu \bar{\nu}$ and $K^+ \rightarrow \pi^+ \nu \bar{\nu}$ decays

- governed by **single effective operator** $(\bar{s}d)_V(\bar{\nu}\nu)_{V-A}$ both in and beyond the SM
- hadronic matrix element measured in $K^+ \rightarrow \pi^0 e^+ \nu$ (+IB corrections), charm-quark contributions (K^+ mode) well known

➤ **theoretically extremely clean – main uncertainty from $|V_{cb}|$**

SM prediction and experimental status

$$Br(K^+)_{\text{SM}} = (8.5 \pm 0.7) \cdot 10^{-11}$$

$$Br(K_L)_{\text{SM}} = (2.6 \pm 0.4) \cdot 10^{-11}$$

$$Br(K^+)_{\text{exp}} = 17.3_{-10.5}^{+11.5} \cdot 10^{-11}$$

$$Br(K_L)_{\text{exp}} < 2.6 \cdot 10^{-8}$$

NLO: BUCHALLA, BURAS (1994); MISIAK, URBAN (1999)

NNLO: BURAS, GORBAHN, HAISCH, NIERSTE (2006); BROD, GORBAHN, STAMOU (2010)

exp: E949 (2008), E301A (2009)

$K \rightarrow \pi \nu \bar{\nu}$ and new physics

effective Hamiltonian for $K \rightarrow \pi \nu \bar{\nu}$

$$\mathcal{H}_{\text{eff}} \propto \left[\underbrace{V_{cs}^* V_{cd} X_{\text{NNL}}(x_c)}_{\text{charm contribution}} + \underbrace{V_{ts}^* V_{td} |X| e^{i\theta_X}}_{\substack{\text{SD contribution} \\ \text{new physics!}}} \right] (\bar{s}d)_V (\bar{\nu}\nu)_{V-A}$$

➤ short-distance physics described model-independently by complex function

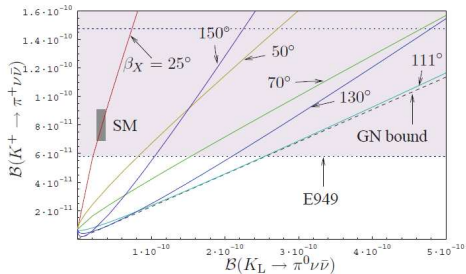
$$X = |X| e^{i\theta_X} \quad \text{where } |X|^{\text{SM}} = X(x_t), \theta_X^{\text{SM}} = 0$$

$K^+ \rightarrow \pi^+ \nu \bar{\nu}$ mode sensitive to $|X|$ (CP-conserving),
while $K_L \rightarrow \pi^0 \nu \bar{\nu}$ mode measures $\text{Im}X$ (CP-violating)

$K \rightarrow \pi \nu \bar{\nu}$ – model-independent considerations

$$\beta_X = \beta - \theta_X$$

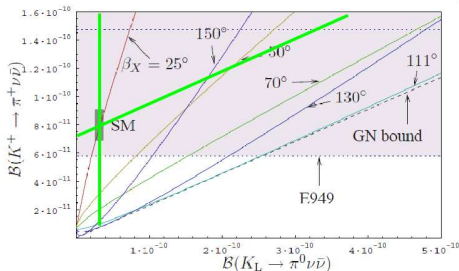
figure taken from BURAS, SCHWAB, UHLIG (2004)



$K \rightarrow \pi\nu\bar{\nu}$ – model-independent considerations

$$\beta_X = \beta - \theta_X$$

figure taken from BURAS, SCHWAB, UHLIG (2004)

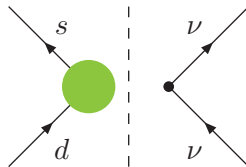
➤ test of operator structure in ϵ_K

BLANKE (2009)

pure V-A structure:

- ϵ_K constrains phase of $s \rightarrow d$ transition
- same phase enters $K \rightarrow \pi\nu\bar{\nu}$

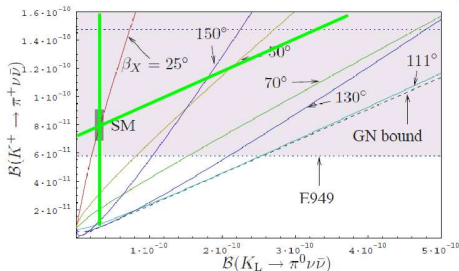
➤ only two branches are allowed



$K \rightarrow \pi\nu\bar{\nu}$ – model-independent considerations

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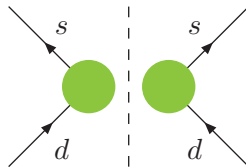
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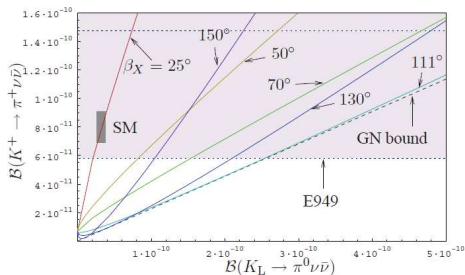
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$K \rightarrow \pi\nu\bar{\nu}$ – model-independent considerations

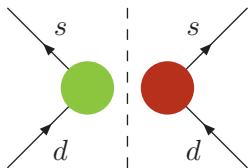
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➤ test of operator structure in ϵ_K

BLANKE (2009)



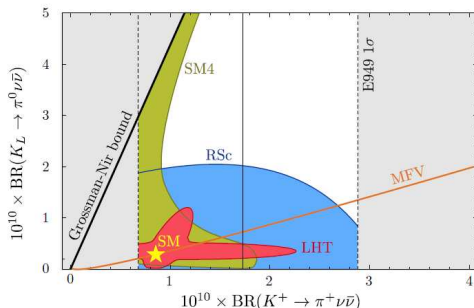
both **V-A** and **V+A**:

- \mathcal{Q}_{LR} dominates in ϵ_K
- connection between $\Delta S = 2$ and $\Delta S = 1$ is spoiled

➤ full $K \rightarrow \pi\nu\bar{\nu}$ plane possible

$K \rightarrow \pi \nu \bar{\nu}$ in specific NP models

BLANKE ET AL. (2006,2008), BURAS ET AL. (2010)
figure taken from STRAUB (2010)



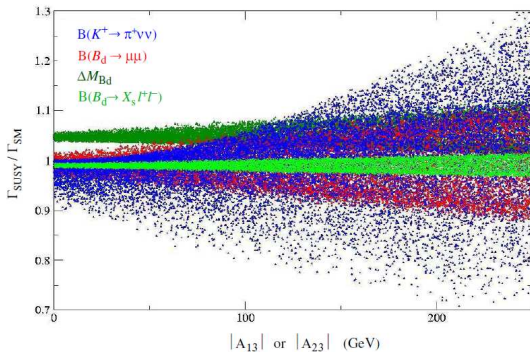
- custodial Randall Sundrum model (RSc) and Littlest Higgs with T-parity (LHT) predicted rather small effects in B physics
➤ **large enhancements of $K \rightarrow \pi \nu \bar{\nu}$ still allowed**
- 4th generation (SM4) in serious trouble with LHC data

$K \rightarrow \pi \nu \bar{\nu}$ in the MSSM

MSSM: main contribution from chargino loops

- unique sensitivity to **up-type trilinear couplings**
& slower decoupling than in $\Delta F = 2$ processes

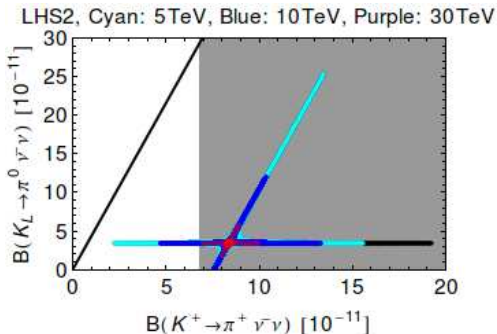
➤ **large effects in $K \rightarrow \pi \nu \bar{\nu}$ not excluded by LHC(b) results**



ISIDORI ET AL. (2006)

$K \rightarrow \pi \nu \bar{\nu}$ and a flavor changing Z'

BURAS, DE FAZIO, GIRRBACH (2012)



- **observable effects even for $M_{Z'} \simeq 20 - 30$ TeV**
well beyond the reach of the LHC and B physics experiments

A word on ε'/ε

ε'/ε measures $\frac{\text{direct}}{\text{indirect}}$ CP violation in $K_L \rightarrow \pi\pi$ decays

- measured at the 10% level
- (potentially) strong constraint on NP models
partly complementary to rare K decays
- however **large hadronic uncertainties** in relevant matrix elements
(from QCD and electroweak penguin operators)

➤ **progress on the lattice required – and on the way**

see e. g. BLUM ET AL. (2011), RBC-UKQCD (2012)

$K \rightarrow \ell \nu$ and lepton universality

K decays also offer a sensitive probe of lepton flavor physics!

$$R_K = \frac{\Gamma(K \rightarrow e\nu)}{\Gamma(K \rightarrow \mu\nu)}$$

- very clean SM prediction (hadronic uncertainties cancel to a large extent)

$$R_K^{\text{SM}} = 2.472(1) \cdot 10^{-5}$$

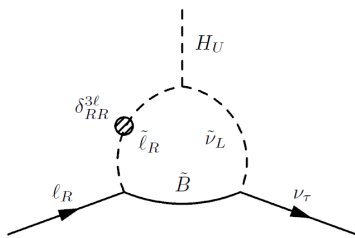
- recent NA48/2 data in good agreement with SM value, but still with an order of magnitude larger uncertainty

$$R_K^{\text{exp}} = 2.488(10) \cdot 10^{-5}$$

- deviation from SM value would signal lepton non-universality
- **improved measurement will yield significant constraint on NP**

Lepton non-universality beyond the SM

MSSM: dominant contribution through LFV interactions



MASIERO, PARADISI, PETRONZIO (2005) AND OTHERS

- no interference with SM \Rightarrow enhancement of R_K
- complementary to LFV μ and τ decays

Neutrinos: breaking of lepton universality also from sterile neutrinos

SHROCK (1980) and others

Summary

- ① K decays offer **unique sensitivity to flavor violation beyond the SM**
- ② $K \rightarrow \pi \nu \bar{\nu}$ are **theoretically cleanest** and can differ vastly from their SM predictions
- ③ **different modes yield complementary constraints**

correlated study of ε_K , ε'/ε and rare K decays* provides excellent tool to **distinguish between different NP scenarios** – in conjunction with constraints from B and D physics and direct searches

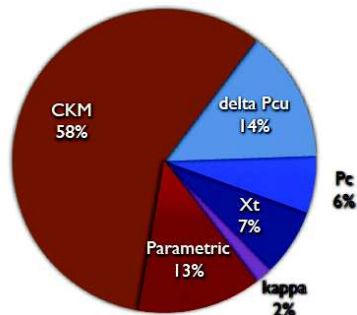
* $K_L \rightarrow \pi^0 \nu \bar{\nu}$, $K^+ \rightarrow \pi^+ \nu \bar{\nu}$, but also $K_L \rightarrow \pi^0 \mu^+ \mu^-$, $K_L \rightarrow \pi^0 e^+ e^-$

- ④ $K \rightarrow \ell \nu$ decays serve as very good **probe of lepton universality**

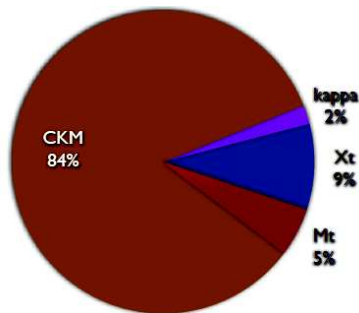
Back-up slides

$K \rightarrow \pi \nu \bar{\nu}$ – SM error budgets

$$K^+ \rightarrow \pi^+ \nu \bar{\nu}$$



$$K_L \rightarrow \pi^0 \nu \bar{\nu}$$



uncertainties dominated by CKM input, in particular $|V_{cb}|$ and γ
 ➤ **better measurements + theoretical understanding needed**

The $K_L \rightarrow \pi^0 \ell^+ \ell^-$ system

- not as theoretically clean as $K \rightarrow \pi \nu \bar{\nu}$, but sensitive to **different SD operators** ➤ **complementary information**
- **theory error** dominated by interference between directly and indirectly CP-violating contributions
➤ **improve through better measurement of $K_S \rightarrow \pi^0 \ell^+ \ell^-$**
- SM predictions

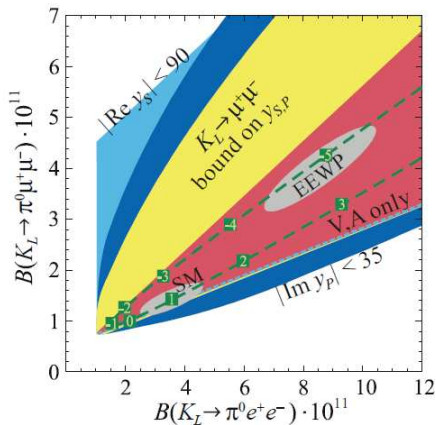
$$Br(K_L \rightarrow \pi^0 \mu^+ \mu^-)_{SM} = 3.54_{-0.85}^{+0.98} \cdot 10^{-11}$$

$$Br(K_L \rightarrow \pi^0 e^+ e^-)_{SM} = 1.41_{-0.26}^{+0.28} \cdot 10^{-11}$$

- muon mode sensitive to scalar contributions
➤ **correlation can distinguish various NP scenarios**

MESCIA, SMITH, TRINE (2006)

Model discrimination through $K_L \rightarrow \pi^0 \ell^+ \ell^-$



MESCIA, SMITH, TRINE (2006)